

①

نهاية امتحان كسرية

من مقرر و كبحار نهاية الامتحانات المرسلة حيث اولك التقويم من حساب

القيمة في الامتحانات المرسلة -

$$\left[\frac{1}{13} \right] = \frac{c+2}{3+1} = \frac{c+2(c)}{3+(c)0} = \frac{c+2c}{3+c-0} \quad \text{حي} \quad \text{حي}$$

$$\left[\frac{1}{c} \right] = \frac{1}{c} = \frac{1+2}{1+1} = \frac{1+2}{1-1+1} = \frac{1+2+2}{1-c-1+2} \quad \text{حي} \quad \text{حي}$$

$$\left[\frac{1}{3} \right] = \frac{1-2}{c+1} = \frac{1-2}{c+1} = \frac{1-(2+1)}{c+(1-2)3} = \frac{1-3-1}{1+c-3} \quad \text{حي} \quad \text{حي}$$

$$\left[\frac{1}{\text{حي}} \right] = \frac{1}{\text{حي}} = \frac{3+0}{0-0} = \frac{3+0}{0-0} \quad \text{حي} \quad \text{حي}$$

$$\left[\frac{c}{2} \right] = \frac{3-1}{7+(1)} = \frac{3-0}{7+c-1} \quad \text{حي} \quad \text{حي}$$

$$\left[\frac{\text{حي}}{1} \right] = \frac{\text{حي}}{1} = \frac{0-0}{3+0} = \frac{0-0}{3+0} \quad \text{حي} \quad \text{حي}$$

③

$$\frac{c-v^2+c}{c+v} W \text{ (3)}, \quad \frac{c-v^2}{c-v} W \text{ (1)} \rightarrow \frac{c-v^2+c}{c-v} W \text{ (4)}$$

$$\frac{17-v^2}{c-v-v^2} W \text{ (2)}, \quad \frac{c-v^2+c}{c-v} W \text{ (4)}$$

$$\left[\frac{17}{2} \right] = \frac{17}{2} W = \frac{(2-v^2) W}{(2-v^2) W} = \frac{17-v^2}{c-v} W \text{ (4)}$$

$$0 = 1 - \frac{c-v^2}{c+v} = \frac{(1-v^2)(c+v)}{c+v} W = \frac{c-v^2+c}{c+v} W \text{ (3)}$$

$$\frac{(2-v^2)}{c-v-v^2} W = \frac{(2-v^2)(c+v)}{(c-v-v^2)(c+v)} W = \frac{c-v^2+c}{c-v} W \text{ (4)}$$

$$\frac{11}{12} = \frac{2-v^2}{c-v-v^2} = \frac{2-v^2}{c-v} W =$$

$$\frac{(2+v^2)(c+v)(2-v^2)}{(1+v^2)(c+v)(2-v^2)} W = \frac{(2-v^2)(c+v)}{(c-v-v^2)(c+v)} W = \frac{17-v^2}{c-v-v^2} W \text{ (2)}$$

$$\left[\frac{17}{2} \right] = \frac{17}{2} = \frac{(2+v^2)(c+v)}{(1+v^2)(c+v)} = \frac{(2+v^2)(c+v)}{(1+v^2)(c+v)} W =$$

$$\frac{(9+v^2-v^2)(c+v)}{(c-v)(c+v)} W = \frac{c+v^2}{c-v} W \text{ (4)}$$

$$\frac{c-v}{0} = \frac{c-v}{0} = \frac{9+(v^2-v^2)(c+v)}{c-v} = \frac{(9+v^2-v^2)(c+v)}{c-v} W =$$

(٣)

شماره ۳ در اینجا است.

$$\frac{(1-r)}{(1+r-c-r)} W = 0 \quad (4)$$

$$\frac{(1+r)(1-r)}{(1-r)} W = \frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (5)$$

$$1.04 = \frac{(1+r)}{(1+r)} = \frac{(1+r)W}{(1+r)W} = \frac{(1+r)(1-r)}{(1-r)} W = 0 \quad (6)$$

$$\frac{(1-r)(1-r)}{(1-r)(1-r)} W = 0 \quad (7)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = \frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (8)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = \frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (9)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (10)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (11)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = \frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (12)$$

$$\frac{(1+r)(1-r)}{(1-r)(1-r)} W = \frac{(1+r)(1-r)}{(1-r)(1-r)} W = 0 \quad (13)$$

2

$$\div \frac{\sum (1+r)^t W_t}{\sum W_t} \quad (2)$$

$$\frac{\sum (1+r)^t W_t}{\sum W_t} = \frac{\sum (1+r)^t W_t}{\sum W_t} =$$

$$[1] = \sum (1) = \sum (1+r)^t = \sum (1+r)^t W_t =$$

$$\frac{1-r}{1-r} \left[W_t \right] \quad (3)$$

$$\frac{1}{1+r} \left[W_t \right] = \frac{(1+r)(1+r)}{(1+r)} \left[W_t \right] =$$

$$\frac{1-r^2}{1-r} \left[W_t \right] \quad (4)$$

$$\frac{(1-r)^2}{(1+r)(1-r)} \left[W_t \right] = \frac{(1-r)^2}{(1-r^2)} \left[W_t \right]$$

$$\frac{1}{(1+r)} \left[W_t \right] = \frac{1}{(1+r)} \left[W_t \right]$$

$$\frac{1}{1} = \frac{1}{1}$$

⑦

معلم جرد

بالإضافة إلى ذلك $W = \frac{r}{r+p+c}$ غير موجودة r, p, c عند الصفر، مقام

$$\frac{\text{عدد}}{\text{مقام}} = \frac{r}{r+p+c}$$

لجعل المقام يساوي صفرًا غير موجود

$$0 = r + p + c$$

$$0 = (r+p)(c+p)$$

$$r = -p, c = -p$$

$$\{r, c\} = -p$$

$$\therefore = \frac{(1+r)(1-\frac{c}{p})}{c-r+p+c} W = \frac{c}{c+r}$$

$$\frac{(1+r)(1+\frac{r}{c})(c+r)(c-r)}{(1-r)(c+r)} W = \frac{(1+r)(1+\frac{r}{c})(c-r)}{(1-r)(c+r)} W = \frac{c}{c+r}$$

$$\frac{(1+r)(1+\frac{r}{c})(c-r)}{(1-(c-r))} = \frac{(1+r)(1+\frac{r}{c})(c-r)}{(1-c+r)} W = \frac{c}{c+r}$$

$$\frac{rc-}{0} = \frac{rc+}{0-} = \frac{1-x(1)\frac{c}{p}}{0-} =$$

②

↑
مشتق من قبل

$$\frac{\cdot}{\cdot} = \frac{(\frac{3}{(1-v)} + \frac{3}{(1+v)}) \dot{W} - 0.000}{v + v^3} \cdot \frac{1}{1+v}$$

$$\frac{(\frac{3}{(1-v)} + (1-v)(1+v) - \frac{3}{(1+v)})((1-v) + (1+v)) \dot{W}}{(1+v)^3} = \frac{-0.000}{1+v}$$

$$\frac{(\frac{3}{(1-v)} + (1-v)(1+v) - \frac{3}{(1+v)})(1-v)(1+v) \dot{W}}{(1+v)^3} = \frac{-0.000}{1+v}$$

$$\frac{(\frac{3}{(1-v)} + (1-v)(1+v) - \frac{3}{(1+v)}) \dot{W}}{(1+v)} = \frac{-0.000}{1+v}$$

$$\boxed{\dot{W}} = (1+1+1) \dot{C} = \frac{(\frac{3}{(1)} + (1-)(1) - \frac{3}{(1)}) \dot{C}}{(1)} =$$

$$\frac{\cdot}{\cdot} = \frac{0.000 - \frac{3}{(1+0.000)} \dot{W} - 0.000}{0 - 0.000 + \frac{3}{1+0.000}} \cdot \frac{1}{1+0.000}$$

$$\frac{(9 + (1+0.000)^3 + \frac{3}{(1+0.000)})(0 - (1+0.000)) \dot{W}}{(0 + 0.000)(1 - 0.000)} = \frac{-0.000}{1+0.000}$$

ملاحظة: عند كتابة تربية من اعداد اعشاريات فانه انما يكون عدد هو (صفر - الذي).

$$\frac{9 + (1+0.000)^3 + \frac{3}{(1+0.000)}(1-0.000) \dot{W}}{(0+0.000)(1-0.000)} = \frac{(9 + (1+0.000)^3 + \frac{3}{(1+0.000)})(0 - (1+0.000)) \dot{W}}{(0+0.000)(1-0.000)} = \frac{-0.000}{1+0.000}$$

$$\boxed{\frac{0.000}{3}} = \frac{0.000}{3} = \frac{(9 + (0.000)^3 + \frac{3}{(0.000)}) \dot{C}}{1}$$

7

$$\frac{1}{z} = \frac{1 - w^2 - w^2 c}{1 - w^2} \quad w_{ap} = -\frac{1}{c}$$

$$\frac{(0 + w^2 + w^2 c)}{(1 + w^2 + w^2 c)} w = \frac{(0 + w^2 + w^2 c)(c - w)}{(1 + w^2 + w^2 c)(c - w)} w =$$

$$\boxed{\frac{1}{z}} = \frac{w^2 + c}{w^2 + 1} = \frac{0 + (c)(1 + c)c}{1 + (c)c + c(c)} =$$

$$w_{ap} w, w_{ap} w, w_{ap} w_{ap} \quad \frac{w}{c} + \frac{w_0}{1 + w^2} = (w_{ap}) w = -\frac{1}{c} w$$

$$\frac{w_0}{c} + \frac{w_0}{1 + w^2} = \frac{w_0}{c} + \frac{w_0}{1 + w^2} \quad \text{إعادة تعريف } |w| < 1$$

$$\boxed{1} = \frac{1}{c} = \frac{w}{c} + \frac{w_0}{c} = \frac{w}{c} + \frac{w_0}{w_0} \quad w = w_{ap} w \quad \text{إعادة تعريف } |w| < 1$$

$$\boxed{1} = \frac{c}{c} = \frac{w}{c} + \frac{w_0}{c} = \frac{w}{c} + \frac{w_0}{w_0} \quad w = w_{ap} w \quad \text{إعادة تعريف } |w| < 1$$

∴ $w_{ap} w$ في مجموعة

بالنسبة إلى z في المجموعة

$$\frac{w}{1 - w} = w \quad \text{إعادة تعريف } |w| < 1$$

$$\frac{w}{1 - w} = w$$

$$\boxed{\frac{1}{c}} = \frac{w}{w_0} = \frac{w}{(w_0) - w} \quad w = w_{ap} w$$

9

ملاحظة: $\frac{[u] - u}{1 - u} W$

أولاً: إعادة تعريف $[u] = u$ عند $u = 1$, $+1$ عند $u = 0$

$$\frac{(1+u)(1-u)}{(1-u)+1+u} W = \frac{1-u}{u-u+1+u} W$$

$$\boxed{1} = \frac{1}{1} = \frac{1+u}{u+1+u} W$$

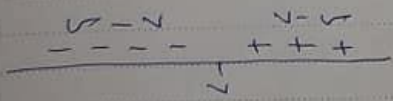
ملاحظة: $\frac{[u] + u - u}{c - u} W$

أولاً: إعادة تعريف $[u] = c$ عند $u = c$

$$\frac{(1-u)(c-u)}{(c-u)+c+u} W = \frac{c+u-u}{c-u+c+u} W$$

$$\boxed{1} = 1 - c = \frac{1-u}{c+u} W$$

ملاحظة: $\frac{|v-u|}{v-u} W$



أولاً: إعادة تعريف $[v-u] = |v-u|$

$$\frac{|v-u|}{v-u} W =$$

$$\boxed{1} = \frac{v-u}{v-u} W$$

ملاحظة

$$\frac{|v-u|}{v-u} W \neq$$

$$\boxed{1} = \frac{u-v}{v-u} W$$

(١٠)

القسم الرئيسي

نلاحظ ١٠. استخدم القسم الرئيسي. لنفرض $1 + \sqrt{2} + \sqrt{3} + \sqrt{4} - \sqrt{5} = 0$

$$\begin{array}{r} 1 + \sqrt{2} \\ \hline 1 - \sqrt{2} \end{array} = 0$$

$$\begin{array}{r} 1 - \sqrt{2} \\ \hline 1 - \sqrt{2} \end{array} = 0$$

$$(1 + \sqrt{2} + \sqrt{3} + \sqrt{4} - \sqrt{5})(1 - \sqrt{2}) = 1 - \sqrt{2} + \sqrt{2} - 2 + \sqrt{3} - \sqrt{6} + \sqrt{4} - \sqrt{8} - \sqrt{5} + \sqrt{10} = 0$$

$$\begin{array}{r} 1 - \sqrt{2} \\ \hline 1 - \sqrt{2} \end{array} = 0$$

$$(1 + \sqrt{2} + \sqrt{3} + \sqrt{4} - \sqrt{5})(1 - \sqrt{2}) = 1 - \sqrt{2} + \sqrt{2} - 2 + \sqrt{3} - \sqrt{6} + \sqrt{4} - \sqrt{8} - \sqrt{5} + \sqrt{10} = 0$$

$$(1 + \sqrt{2} + \sqrt{3} + \sqrt{4} - \sqrt{5})(1 - \sqrt{2}) = 1 - \sqrt{2} + \sqrt{2} - 2 + \sqrt{3} - \sqrt{6} + \sqrt{4} - \sqrt{8} - \sqrt{5} + \sqrt{10} = 0$$

$$\begin{array}{r} 1 - \sqrt{2} \\ \hline 1 - \sqrt{2} \end{array} = 0$$

$$(1 + \sqrt{2} + \sqrt{3} + \sqrt{4} - \sqrt{5})(1 - \sqrt{2}) = 1 - \sqrt{2} + \sqrt{2} - 2 + \sqrt{3} - \sqrt{6} + \sqrt{4} - \sqrt{8} - \sqrt{5} + \sqrt{10} = 0$$

function | W @ 4 - 6 U

جدول - اعادة ترتيب $a + b + c$ \Rightarrow $a + (b + c)$

$(a+b)+c$ $(a+b)+c$ $(a+b)+c$

$++ ++$ $++ ++$ $++ ++$

c b a

$(a+b)+c$ \Rightarrow $a+(b+c)$

c, b, a

$$\boxed{r} = \frac{(c+v) \cancel{v}}{\cancel{v} \cdot \cancel{c+v}} \cdot \cancel{w} = \frac{1 \cdot c + \cancel{v}}{v} \cdot \cancel{w} \leftarrow$$

$$\boxed{r} = (c+v) \cdot \cancel{w} = \frac{(c+v) \cancel{v}}{\cancel{v} \cdot \cancel{c+v}} \cdot \cancel{w}$$

$$\frac{\sqrt{v} + v}{v} \dot{w} \quad (F)$$

$$\frac{|u| + u_0}{u} \dot{w} \leftarrow |u| + \sqrt{u} - \frac{1}{2} \frac{d|u|}{du}$$

$$\boxed{7} = \frac{v+7}{v} W = \frac{v+v_0}{v} W \quad (a)$$

$$\boxed{8} = \frac{v+8}{v} W = \frac{(v-1)+v_0}{v} W \quad (b)$$

$$\frac{|u-v|}{|u|} \approx \frac{v}{u}$$

$$\frac{|c-u||v|}{|u||c|} w = \frac{|(c-u)u|}{|u||c|} w = \text{dist} =$$

$$[5] = |c| = |u| + |w| =$$

$$\frac{z + \sqrt{z^2 - 1}}{z - \sqrt{z^2 - 1}} \quad (1)$$

$$\frac{1-c-v}{c-v} \cdot \frac{\dot{W}_s}{c-v} = \frac{\overline{\epsilon + \epsilon - v}}{c-v} \cdot \frac{\dot{W}_s}{c-v}$$

$$\frac{1+u-c-\sqrt{c}}{1+u-c-1} \quad \text{w} \quad \text{⑦}$$

$$\left[\frac{1}{c} \right] = \frac{1 - 0}{1 \times c} \quad \text{w/ } 100$$

اعمالی شریف / ص-۱۳ : ج ۲ - ص ۳۵۰ و ۳۵۱ + ص ۳۵۲ و ۳۵۳ و ۳۵۴ و ۳۵۵

$$\frac{\cancel{r-h} \times \cancel{r-h}}{\cancel{r-h} + r+h} h = \frac{r-h}{r-h+r+h} h =$$

$$\boxed{\text{wip}} = \overline{w-w} \sqrt{w} \quad \text{+ rate}$$

(13)

$$\frac{13-u-1}{u-u\sqrt{u}+u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

الحد - إعادة تعريف $13-u-1 = 13-u-1$

$$\frac{13-u-1}{u-u\sqrt{u}+u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{13-u-1}{u-u\sqrt{u}+u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}} = \frac{13-u-1}{u-u\sqrt{u}+u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{13-u-1}{u-u\sqrt{u}+u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

الحد - إعادة تعريف

$$\frac{u-10-u\sqrt{u}}{10-u-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

الحد - إعادة تعريف $u-10-u\sqrt{u} = 10-u-u\sqrt{u}$

$$\frac{u-10-u\sqrt{u}}{10-u-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}} = \frac{u-10-u\sqrt{u}}{10-u-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{u}{u\sqrt{u}} = \frac{u}{(u\sqrt{u})} \cdot \frac{(u\sqrt{u})}{(u\sqrt{u})} = \frac{10-u-u\sqrt{u}}{10-u-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{18-11-u\sqrt{u}}{9-u\sqrt{u}-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

الحد - إعادة تعريف $18-11-u\sqrt{u} = 11-u-u\sqrt{u}$

$$\frac{18-11-u\sqrt{u}}{9-u\sqrt{u}-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}} = \frac{18-11-u\sqrt{u}}{9-u\sqrt{u}-u\sqrt{u}} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{7+7+9}{9} = \frac{7+(u\sqrt{u}+u\sqrt{u})}{u\sqrt{u}+(u\sqrt{u})} = \frac{(7+u\sqrt{u}+u\sqrt{u})(u\sqrt{u})}{(u\sqrt{u}+u\sqrt{u})(u\sqrt{u})} \cdot \frac{u\sqrt{u}}{u\sqrt{u}}$$

$$\frac{u\sqrt{u}}{u\sqrt{u}} = \frac{9}{9}$$

(١٤)

ملاحظة: إذا كانت W موجودة $\left\{ \begin{array}{l} r > u, \frac{r-u}{|r-u|} \\ r < u, 1 + \frac{u}{r-p} \end{array} \right\}$

أو $W = \frac{r-u}{r-u-p}$ $\left(\frac{1}{1} \right)$ $\frac{r-u}{r-u-p} W = \frac{r-u}{|r-u|} W$

$1 + p q W = 1 + \frac{u}{r-p} W$

$\frac{1-u}{q} = p \Leftrightarrow \frac{1-u}{q} = \frac{p q}{A} \Leftrightarrow 1 - u = p q$

ملاحظة: إذا كانت W موجودة $\left\{ \begin{array}{l} r > u, [r+u] \\ r < u, \frac{|r-u|}{r} \end{array} \right\}$

إعادة تعريف $1 = [r+u]$ عندما $r \geq u$ $\frac{|r-u|}{r} = 1$ عندما $r < u$

$1 = (r+u) W \Leftrightarrow \left(\frac{1}{1} \right) [r+u] W = \frac{|r-u|}{r} W$

10

$$\frac{1 - \epsilon - (1 - \epsilon - c)}{1 - \epsilon} \dot{W} = \frac{1 - \epsilon - (1 - \epsilon - c)}{1 - \epsilon} \dot{W}$$

الحد - الحد تقريبا $1 - \epsilon - c = 1 - \epsilon - c$
 $1 - \epsilon - c = 1 - \epsilon - c$

$$\frac{(1 - \epsilon - c) - (1 - \epsilon - c)}{1 - \epsilon} \dot{W} = \frac{1 - \epsilon - (1 - \epsilon - c)}{1 - \epsilon} \dot{W}$$

$$\frac{1 - \epsilon - c}{1 - \epsilon} \dot{W} = \frac{1 - \epsilon - (1 - \epsilon - c)}{1 - \epsilon} \dot{W}$$

$$\boxed{1 - \epsilon} \frac{(1 - \epsilon - c) - (1 - \epsilon - c)}{1 - \epsilon} \dot{W} =$$

مساواة إذا كانت $\dot{W} = \frac{1 - \epsilon - c}{1 - \epsilon} \dot{W}$

$$P < P + \epsilon \dot{W} = \frac{(P + \epsilon)(P + \epsilon)}{P + \epsilon} \dot{W} = \frac{1 - \epsilon - c}{1 - \epsilon} \dot{W}$$

$$\frac{1}{\epsilon} = \frac{P}{\epsilon} \Leftrightarrow 1 + c = P \Leftrightarrow$$

$$\boxed{0 = P - c}$$

مساواة إذا كانت $\dot{W} = \frac{1 - \epsilon - c}{1 - \epsilon} \dot{W}$

$$\frac{N^c (1 + \epsilon + c) N^c (1 - \epsilon)}{N^c (1 - \epsilon)} \dot{W} = \frac{N^c (1 + \epsilon + c) N^c (1 - \epsilon)}{N^c (1 - \epsilon) N^c (1 - \epsilon)} \dot{W}$$

$$N^c (1 + 1 + c(1)) = N^c (1 + \epsilon + \epsilon) \dot{W} =$$

$$\frac{N^c}{N^c} = \frac{N^c}{N^c} \Leftrightarrow 1 = 1$$

$$\epsilon = N^c \Leftrightarrow$$

$$\boxed{c = N^c} \Leftrightarrow$$

17

مکان - ۵۰۰ + ۵۰۰

$$\frac{v_0 - v_0}{v_0 - 1} \dot{W} \quad (1)$$

$$[1] = \frac{(1 - v_0) v_0}{v_0 - 1} \dot{W} = \frac{v_0 - v_0}{v_0 - 1} \dot{W} = -1 \dot{W}$$

$$\frac{v - v_0}{1 - v_0} \dot{W} \quad (2)$$

$$\left[\frac{v}{c} \right] = \frac{v \dot{W}}{(1 + v_0) v_0} \frac{(1 - v_0) v_0}{(1 + v_0) (1 - v_0)} \dot{W} = \frac{(1 - v_0) v_0}{1 - v_0} \dot{W} = -1 \dot{W}$$

$$\frac{17 + v_0 \times 14 - v_0}{1 - v_0} \dot{W} \quad (3)$$

$$\frac{(17 - v_0) (1 - v_0)}{(1 + v_0) (1 - v_0)} \dot{W} = \frac{17 + v_0 \times 14 - v_0}{1 - v_0} \dot{W}$$

$$\frac{10 - v_0}{c} = \frac{17 - 1}{1 + 1} = \frac{17 - v_0}{1 + v_0} = \frac{(17 - v_0)}{(1 + v_0)} \dot{W}$$

$$\frac{c v_0 + v_0 \times 14 - v_0}{v_0 - v_0} \dot{W} \quad (4)$$

$$\frac{(9 - v_0) (v_0 - v_0)}{v_0 - v_0} \dot{W} = \frac{c v_0 + v_0 \times 14 - v_0}{v_0 - v_0} \dot{W}$$

$$[1] = 9 - v_0 = 9 - 1 = (9 - v_0) \dot{W}$$

(2)

بالجواب: $\frac{1}{s^2}$ نوجد المعاملات $\left(\frac{1}{s-s}\right) \left(\frac{1}{s-s}\right) \frac{1}{s} \hat{w}$ ①

$$\frac{1}{s^2} = \frac{1}{s-s} = \frac{1}{s-s} \hat{w} = \frac{1}{s-s} \times \frac{s-s}{s-s} \hat{w} = \frac{1}{s-s} \hat{w}$$

نوجد $\left(\frac{1}{s-s}\right) \left(\frac{1}{s-s}\right) \frac{1}{s} \hat{w}$ ②

$$\left(\frac{1}{(s-s)(s-s)}\right) \frac{s-s}{s-s} \hat{w} = \frac{1}{s-s} \hat{w}$$

$$\frac{s-s}{(s-s)(s-s)} \hat{w} = \frac{1}{(s-s)(s-s)} \times \frac{(s-s)s}{s-s} \hat{w} = \frac{s-s}{(s-s)(s-s)} \hat{w}$$

$$\frac{s-s}{s-s} = \frac{s-s}{(1-s)s} = \frac{s-s}{(s-s)(s-s)} \hat{w}$$

 $\left(\frac{1}{s-s} - \frac{1}{s-s}\right) \frac{1}{s} \hat{w}$ ③

$$\frac{s-s-s}{(s-s)(s-s)} \times \frac{1}{s} \hat{w} = \left(\frac{(s-s)-(s-s)}{(s-s)(s-s)}\right) \frac{1}{s} \hat{w} = \frac{1}{s} \hat{w}$$

$$\frac{s-s}{s} = \frac{s-s}{(s-s)(s-s)} = \frac{s-s}{(s-s)(s-s)} \times \frac{1}{s} \hat{w} = \frac{s-s}{(s-s)(s-s)} \hat{w}$$

(12)

$$\frac{1}{(c+\varepsilon)} + \frac{1}{\varepsilon} \dot{W} = 500$$

$$\frac{1}{\varepsilon} \times \frac{\varepsilon + c + \varepsilon}{(\varepsilon + c) - \varepsilon} \dot{W} = \frac{\varepsilon + c + \varepsilon}{(\varepsilon + c) - \varepsilon} \dot{W} = 500$$

$$\boxed{\frac{1}{17}} = \frac{1}{(\varepsilon + c)} = \frac{1}{(\varepsilon + c)} \dot{W} = \frac{1}{\varepsilon} \times \frac{\varepsilon}{(\varepsilon + c) - \varepsilon} \dot{W} =$$

$$\left(\frac{c + \varepsilon}{c - \varepsilon} - \frac{1c + \varepsilon}{\varepsilon - c} \right) \dot{W} = 500$$

نبدأ بتحليل المقام لأنه ليس البسيط فيتوسع مع عامل فيه عوامل مقام الكسر الأول

$$\left(\frac{(c+\varepsilon)(c+\varepsilon)}{(c+\varepsilon)(c-\varepsilon)} - \frac{1c + \varepsilon}{(c-\varepsilon)(c+\varepsilon)} \right) \dot{W} =$$

$$\frac{(\varepsilon + \varepsilon + c + c) - 1c + \varepsilon}{(c+\varepsilon)(c-\varepsilon)} \dot{W} = \frac{(c+\varepsilon) - 1c + \varepsilon}{(c-\varepsilon)(c+\varepsilon)} \dot{W} =$$

$$\frac{\varepsilon \varepsilon - 1}{(c+\varepsilon)(c-\varepsilon)} \dot{W} = \frac{\varepsilon \varepsilon - 1 - 1c + \varepsilon}{(c+\varepsilon)(c-\varepsilon)} \dot{W} =$$

$$\boxed{1} = \frac{\varepsilon - 1}{\varepsilon} = \frac{\varepsilon - 1}{(c+\varepsilon)} \dot{W} = \frac{(c+\varepsilon) - c}{(c+\varepsilon)(c+\varepsilon)} \dot{W} =$$

(*) ملاحظة: عند توسيع المقامات إذا كان في المقام عامل مشترك
نضرب به فقط نضرب العامل الآخر

14

$$\left(\frac{3}{1-v} - \frac{1}{1-v} \right) \dot{W} = \frac{2}{1-v} \dot{W}$$

$$\left(\frac{3}{(1+v+v^2)(1-v)} - \frac{1}{1-v} \right) \dot{W} = \frac{2}{1-v} \dot{W}$$

$$\frac{2-v+v^2}{(1+v+v^2)(1-v)} \dot{W} = \frac{2}{(1+v+v^2)(1-v)} \dot{W}$$

$$\boxed{1} = \frac{3}{2} = \frac{(2+v)}{(1+v+v^2)} \dot{W} = \frac{(2+v)(1-v)}{(1+v+v^2)(1-v)} \dot{W}$$

$$\frac{1-v^2}{1-v} \dot{W} = \frac{1+v}{1-v} \dot{W}$$

$$\frac{(1-v)(1+v+v^2+v^3+v^4)}{(1-v)(1-v-v^2-v^3-v^4-v^5-v^6)} \dot{W} = \frac{1+v}{1-v} \dot{W}$$

$$\frac{1+v+v^2+v^3+v^4}{1-v-v^2-v^3-v^4-v^5-v^6} \dot{W} = \frac{1+v}{1-v} \dot{W}$$

$$\boxed{\frac{0}{1}} = \frac{1+1+1+1}{1-1-1-1-1-1-1} =$$

كابت	v	v^2	v^3	v^4	v^5
1	0	0	0	0	1
1	1	1	1	1	1
0	1	1	1	1	1

كابت	v	v^2	v^3	v^4	v^5	v^6	v^7
1	0	0	0	0	0	0	1
1	1	1	1	1	1	1	1
0	1	1	1	1	1	1	1

كابت	v	v^2	v^3	v^4	v^5
3c	0	0	0	0	1
3c-	17	0	2	0	0
0	17	0	2	0	1

$$\frac{3c+0}{17-0} \dot{W} = \frac{3c}{17} \dot{W}$$

$$\boxed{c-} \frac{(17+v-0+2+v^2-c-0)(c+v)}{(2-v)(2+v)} \dot{W} = \frac{3c}{17} \dot{W}$$

$$\frac{(17+v-0+2+v^2-c-0)(c+v)}{(2+v)(c-v)(c+v)} \dot{W} = \frac{3c}{17} \dot{W}$$

$$\frac{17+(17)-17+(17)-17}{3c-} = \frac{17+(c-)-c-(c-)+c-0-2(c-)}{(2+c-)(c-c-)} \dot{W}$$

$$\boxed{\frac{0}{c}} =$$

١٠٠

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

↑ افتراض عامل مشترك n

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

- ملاحظه: ١- اگر در حقیقت w_1 را w_2 بنویسیم
 ٢- نسبت مجموع درجات به n را w_1 بنویسیم
 ٣- نسبت w_1 به n بنویسیم

در مثال به روش دیگر:

ملاحظه: ١- اگر در مقدار غیر معلوم به w_1 بنویسیم
 ٢- نسبت w_1 به n بنویسیم

- ٣- نسبت w_1 به n بنویسیم
 ٤- نسبت w_1 به n بنویسیم
 ٥- نسبت w_1 به n بنویسیم

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

$$\frac{w_1 - 74}{n - 1} = \frac{w_1 - 74}{n - 1}$$

(1)

$$\frac{c + r_x r - \bar{c}}{c - r_c} \quad \bar{w} = \frac{1}{1 + r}$$

$$\frac{c + up r - \bar{c}}{c - up} \quad \bar{w} = \frac{c + (r_c) r - \bar{c}}{c - r_c} \quad \bar{w} = \frac{1}{1 + r}$$

$up = r_c$: $\bar{w} = \frac{1}{1 + r}$
 $c \leftarrow up \leftarrow 1 + r$

$$\boxed{1} = 1 - up \quad \bar{w} = \frac{(1 - up)(c - up)}{(c - up)} \quad \bar{w} = \frac{1}{1 + r}$$

$$r_x r_c = 1 + r$$

$$\frac{c + r_x r_c - \bar{c}}{r - r_p} \quad \bar{w} = \frac{1}{1 + r}$$

$$\frac{c + r_x r_c - \bar{c}}{r - r_p} \quad \bar{w} = \frac{1}{1 + r}$$

$\bar{w} = \frac{1}{1 + r}$

$$r_p = up$$

$$\frac{(1 - up)(r - up)}{(r - up)} \quad \bar{w} = \frac{c + up r - \bar{c}}{r - up} \quad \bar{w} = \frac{1}{1 + r}$$

$$\boxed{1} = 1 - r = 1 - up \quad \bar{w} = \frac{1}{1 + r}$$

العنكب بالعامه مراعى

الحل	المعادلة الرئيسية	المعادلة
$3 + \sqrt{3-4c} \sqrt{}$	$3 - \sqrt{3-4c} \sqrt{}$	$10 - 4c = 9 - 3 - 4c$
$\sqrt{3-4c} \sqrt{} - 0$	$0 + \sqrt{3-4c} \sqrt{}$	$0 = 2 - 4c$
$\sqrt{3-4c} \sqrt{} - 1 + 4c$	$\sqrt{3-4c} \sqrt{} + 1 + 4c$	$(2-4c) - 1 + 4c$



المركب	المركب	المركب
$\Lambda - u$	$\xi + \sqrt{c} + i(c - \sqrt{c})$	$(c - \sqrt{c})$
$\rho + u$	$\rho + \sqrt{c} - i(\sqrt{c})$	$\rho + \sqrt{c}$
$(1+u) - 1 - u$	$(1+\sqrt{c}) + i + \sqrt{c} + i(\sqrt{c}) + i(1-\sqrt{c}) + i + \sqrt{c} - 1 - \sqrt{c}$	

$$\left\{ \begin{array}{l} r > v \\ r < v \end{array} \right\} \left\{ \begin{array}{l} 1+v-c \\ c-v \end{array} \right\} \quad (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$(v) \text{ or } (c) \text{ or } (v) \text{ or } (c) \quad \frac{1+v-c}{1-v} = (v) \text{ or } (c)$$

$$\text{IV} = c - v = c - \frac{c-v}{1-v} \quad \text{or } (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\text{V} = 1 + (v) = 1 + \frac{c-v}{1-v} \quad \text{or } (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\frac{1}{1} = \frac{c-v}{1-v} \quad \text{or } (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\sqrt{\frac{1}{1}} = \frac{1}{1} + \frac{1}{1} = (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\text{or } \frac{1}{(1-v)} = (v) \text{ or } (c) \text{ or } (v) \text{ or } (c) \quad \frac{(1+v-c)}{1-v}$$

$$\frac{1}{(1-v)} \times (1+v-c) = (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\frac{1}{(1-v)} \times (1-v)(1-v) = (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\frac{1}{(1-v)} \times (1-v) = (v) \text{ or } (c) \text{ or } (v) \text{ or } (c)$$

$$\text{VI} = 1 - v = 1 - \frac{c-v}{1-v}$$

٢٩

$$\div = \frac{r-1b+c}{r+c} \text{ لـ } \frac{r-1b+c}{r+c}$$

$$\frac{r-1b+c}{r-1b-c} \times \frac{r-1b+c}{r+c} \text{ لـ } =$$

$$\frac{r-1b+c}{(r-1b-c)(r+c)} \text{ لـ } \frac{(r-1b+c)}{(r-1b-c)(r+c)} \text{ لـ } =$$

$$\frac{0}{1} = \frac{0}{1} = \frac{0}{1} = \frac{(r-1b+c)}{(r-1b-c)(r+c)} \text{ لـ } \frac{(r-1b+c)}{(r-1b-c)(r+c)} \text{ لـ } =$$

$$\div = \frac{1-r^2-c^2}{1+r^2-c^2} \text{ لـ } \frac{1-r^2-c^2}{1+r^2-c^2}$$

$$\frac{1+r^2+c^2}{1+r^2+c^2} \times \frac{1-r^2-c^2}{1+r^2-c^2} \text{ لـ } =$$

$$\frac{(1+r^2+c^2)(1-r^2-c^2)}{(1+r^2-c^2)(1-r^2-c^2)} \text{ لـ } =$$

$$\frac{(1+r^2+c^2)(c+r)(c-r)}{r^2-10} \text{ لـ } \frac{(1+r^2+c^2)(c+r)(c-r)}{1-r^2-17} \text{ لـ } =$$

$$\frac{(1+r^2+c^2)(c+r)(c-r)}{(c-r)(c+r)} \text{ لـ } =$$

$$\frac{0}{1} = \frac{(c+r)(c-r)}{1} = \frac{(1+r^2+c^2)(c+r)}{1} \text{ لـ } =$$

٢٥

$$\therefore \frac{\sqrt{c-1} + \sqrt{1+c}}{\sqrt{c}} \quad \text{لـ } \frac{w}{c}$$

$$\frac{\sqrt{c-1} + \sqrt{1+c}}{\sqrt{c-1} + \sqrt{1+c}} \times \frac{\sqrt{c-1} - \sqrt{1+c}}{\sqrt{c}} \quad \text{لـ } \frac{w}{c}$$

$$\frac{\sqrt{c} + 1 - 1 + \sqrt{c}}{(\sqrt{c-1} + \sqrt{1+c})(\sqrt{c})} \quad \text{لـ } \frac{w}{c} = \frac{(\sqrt{c-1}) - 1 + \sqrt{c}}{(\sqrt{c-1} + \sqrt{1+c})(\sqrt{c})} \quad \text{لـ } \frac{w}{c}$$

$$\frac{3}{(\sqrt{c-1} + \sqrt{1+c})} \quad \text{لـ } \frac{w}{c} = \frac{3}{(\sqrt{c-1} + \sqrt{1+c})(\sqrt{c})} \quad \text{لـ } \frac{w}{c}$$

$$\boxed{\frac{3}{c}} = \frac{3}{(1+\sqrt{c})}$$

$$\therefore \frac{1 - \sqrt{c}}{3 + \sqrt{c} - c} \quad \text{لـ } \frac{w}{c}$$

لـ $\frac{w}{c}$

لـ $\frac{w}{c}$

$$\frac{3 + \sqrt{c} + c}{3 + \sqrt{c} + c} \times \frac{1 + \sqrt{c}}{1 + \sqrt{c}} \times \frac{1 - \sqrt{c}}{3 + \sqrt{c} - c} \quad \text{لـ } \frac{w}{c}$$

$$\frac{(3 + \sqrt{c} + c)(1 - \sqrt{c})}{(1 + \sqrt{c})(3 + \sqrt{c} - c)} \quad \text{لـ } \frac{w}{c}$$

$$\frac{(3 + \sqrt{c} + c)(1 - \sqrt{c})}{(1 + \sqrt{c})(3 + \sqrt{c} - c)} \quad \text{لـ } \frac{w}{c} = \frac{(3 + \sqrt{c} + c)(1 - \sqrt{c})}{(1 + \sqrt{c})(3 + \sqrt{c} - c)} \quad \text{لـ } \frac{w}{c}$$

$$\frac{(c + \sqrt{c} + c)(1 + 1 + c)}{(1 + \sqrt{c})(1)} \quad \text{لـ } \frac{w}{c} = \frac{(3 + \sqrt{c} + c)(1 + \sqrt{c} + c)}{(1 + \sqrt{c})(1)} \quad \text{لـ } \frac{w}{c}$$

$$\boxed{7} = \frac{1c}{c} = \frac{(c)}{c}$$

(٤٦)

$$= \frac{c - \sqrt{c^2 - 4n}}{n - c} w_2$$

$$\frac{c - \sqrt{c^2 - 4n}}{n - c} w_2 = \frac{c - \sqrt{c^2 - 4n}}{n - c} w_2$$

$$\frac{1}{1c} = \frac{1}{(c + \sqrt{c^2 - 4n})(n - c)}$$

النتيجة

$$\frac{(c + \sqrt{c^2 - 4n})}{(c + \sqrt{c^2 - 4n})} \times \frac{(c - \sqrt{c^2 - 4n})}{n - c} w_2$$

$$\frac{1}{(c + \sqrt{c^2 - 4n})} = \frac{(n - c)}{(c + \sqrt{c^2 - 4n})(n - c)} w_2$$

$$\boxed{\frac{1}{1c}} = \frac{1}{c + c} =$$

من حالة المرافقة التكافؤية إلى المرافقة القوسية

$$= \frac{c - \sqrt{c^2 - 4n}}{n - c} w_2$$

$$\frac{(c + \sqrt{c^2 - 4n})}{(c + \sqrt{c^2 - 4n})} \times \frac{c - \sqrt{c^2 - 4n}}{n - c} w_2$$

$$\frac{n - c}{(c + \sqrt{c^2 - 4n})(n - c)} w_2$$

$$\frac{(n - c)}{(c + \sqrt{c^2 - 4n})(n - c)} w_2$$

$$\boxed{\frac{1}{1c}} = \frac{1}{c + c + c} =$$

(c)

$$\frac{(\xi + \sqrt{1+\sqrt{3}}\zeta + (\sqrt{1+\sqrt{3}})\zeta)}{(\xi + \sqrt{1+\sqrt{3}}\zeta + (\sqrt{1+\sqrt{3}})\zeta)} \times \frac{\sqrt{1+\sqrt{3}} + \sqrt{3}}{(\sqrt{1+\sqrt{3}} + \sqrt{3})} \times \frac{\sqrt{1+\sqrt{3}} - \sqrt{3}}{\sqrt{1+\sqrt{3}} - \sqrt{3}} \frac{W}{1+\sqrt{3}}$$

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$$\frac{(\xi + \sqrt{1+\sqrt{3}}\zeta + (\sqrt{1+\sqrt{3}})\zeta)((\sqrt{1+\sqrt{3}}) - 9)}{(\sqrt{1+\sqrt{3}} + \sqrt{3})(\sqrt{1+\sqrt{3}} - 9)} \frac{W}{1+\sqrt{3}}$$

$$\frac{(\xi + \sqrt{1+\sqrt{3}}\zeta + (\sqrt{1+\sqrt{3}})\zeta)(\sqrt{1+\sqrt{3}} - 9)}{(\sqrt{1+\sqrt{3}} + \sqrt{3})(\sqrt{1+\sqrt{3}} - 9)} \frac{W}{1+\sqrt{3}}$$

$$\boxed{\zeta} = \frac{13}{7} = \frac{(\xi + \xi + \xi)(\sqrt{1+\sqrt{3}} - 1)}{(7)(1+\sqrt{3})} \frac{W}{1+\sqrt{3}}$$

$$\frac{1+\sqrt{3} + \sqrt{3}}{\sqrt{1+\sqrt{3}} + \sqrt{3}} \frac{W}{1+\sqrt{3}}$$

$$\frac{(\xi(\sqrt{1+\sqrt{3}} + 1 + \sqrt{3}) - \sqrt{3})}{(\xi(\sqrt{1+\sqrt{3}} + 1 + \sqrt{3}) - \sqrt{3})} \times \frac{1+\sqrt{3} + \sqrt{3}}{\sqrt{1+\sqrt{3}} + \sqrt{3}} \frac{W}{1+\sqrt{3}}$$

$$\frac{1 + \sqrt{3} + \sqrt{3}}{(\xi(\sqrt{1+\sqrt{3}} + 1 + \sqrt{3}) - \sqrt{3})(\sqrt{1+\sqrt{3}} + \sqrt{3})} \frac{W}{1+\sqrt{3}}$$

$$\frac{(0 + \sqrt{3} - \sqrt{3})(\sqrt{1+\sqrt{3}} + \sqrt{3})}{(\xi(\sqrt{1+\sqrt{3}} + 1 + \sqrt{3}) - \sqrt{3})(\sqrt{1+\sqrt{3}} + \sqrt{3})} \frac{W}{1+\sqrt{3}}$$

$$\frac{(0 + \sqrt{3} - \sqrt{3})}{(\xi(\sqrt{1+\sqrt{3}} + 1 + \sqrt{3}) - \sqrt{3})} \frac{W}{1+\sqrt{3}}$$

$$\boxed{\frac{13}{15}} = \frac{0 + (\xi)\zeta - (\xi)}{\xi + \xi + \xi}$$

1	1	1
1	2	3
1	0	1

(c)

(C)

$$= \left(\frac{1}{c} \right) \frac{1}{\sqrt{1-v^2}} \frac{1}{1-v} \frac{1}{1+v} =$$

$$\frac{\sqrt{1-v^2} + c}{\sqrt{1-v^2} + c} \times \left(\frac{\sqrt{1-v^2} - c}{(\sqrt{1-v^2} + c)c} \right) \frac{1}{1-v} \frac{1}{1+v} =$$

$$\frac{(\sqrt{1-v^2} - c)}{(\sqrt{1-v^2} + c)(\sqrt{1-v^2} + c)(1-v)} \frac{1}{1+v} =$$

$$\frac{\sqrt{1-v^2} - c}{(\sqrt{1-v^2} + c)(\sqrt{1-v^2} + c)(1-v)} \frac{1}{1+v} =$$

$$\frac{1-v}{17} = \frac{1-v}{(c+c)(c+c)} = \frac{1-v}{(\sqrt{1-v^2} + c)(\sqrt{1-v^2} + c)(1-v)} \frac{1}{1+v}$$