

Aya ~~Doa~~ Doa

01:01

Subject

Date

No.

$$K = \frac{1}{2} m v^2$$

$$V_{max} = \frac{q B R}{m} \rightarrow \text{Biot-Savart}$$

$$K = \frac{q^2 B^2 R^2}{2m} < 20 \text{ KeV}$$

CH 30 sources of the magnetic field

Biot - Savart law

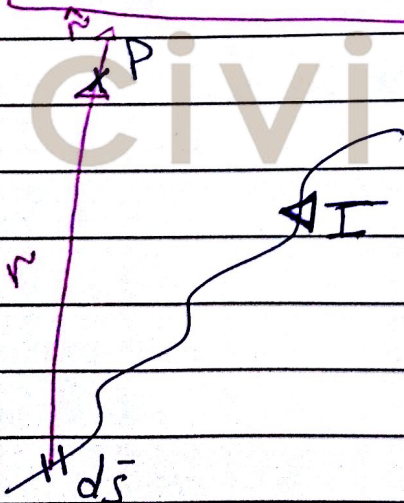
$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\vec{s} \times \hat{r}}{r^2}$$

$$\vec{B} = \frac{\mu_0 I}{4\pi} \int \frac{d\vec{s} \times \hat{r}}{r^2}$$

$$\mu_0 = 4\pi \times 10^{-7} \frac{T \cdot m}{A}$$

Permeability of free space

I, d\vec{s}



I, d\vec{s} is the current element

\vec{r} is the position vector

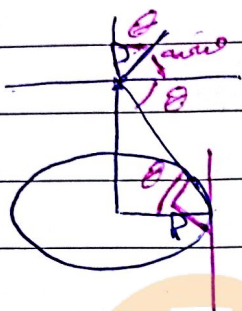
from the current element to the point P



$$B_y = \int dB \cos \theta$$

$$dB = \frac{\mu_0 I}{4\pi} \frac{ds \times \hat{r}}{r^2}$$

$$ds \perp \hat{r}$$



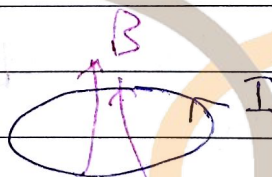
$$dB = \frac{\mu_0 I}{4\pi} \frac{ds}{(R^2 + y^2)}$$

$$B = \hat{j} \left( \int \frac{\mu_0 I ds R}{4\pi (R^2 + y^2)^{3/2}} \right)$$

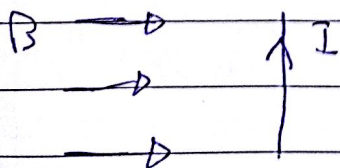
$$B = \frac{\mu_0 I R^2}{2 (R^2 + y^2)^{3/2}} \hat{j}$$

at  $y = 0$

$$B = \frac{\mu_0 I}{2R}$$



Magnetic force between two parallel

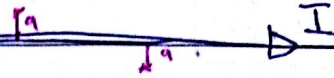


$$F = I \vec{L} \times \vec{B}$$

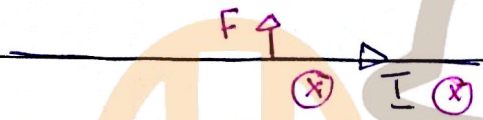
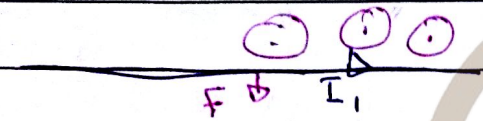


long straight wire

$$B = \frac{\mu_0 I}{2\pi r}$$



مع اتجاه التيار



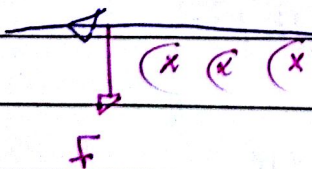
$$B_1 = \frac{\mu_0 I_1}{2\pi r}$$

$$F_{on2} = I_2 L_2 \frac{\mu_0 I_1}{2\pi r}$$

$$\frac{F_{on2}}{L_2} = \frac{I_1 I_2 \mu_0}{2\pi r}$$

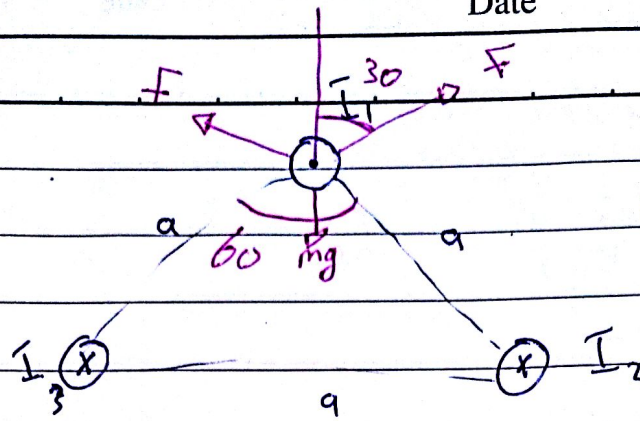
$$\Rightarrow \frac{F}{L} = \frac{I_1 I_2 \mu_0}{2\pi r}$$

Force per unit length





30.4



الحلقات الحاملة تعلق  
بعضها والمركبات، الصناديق  
إذا كانت أكبر من \$mg\$  
يظهر إذا انقلب  
إذا احتوا على سبب

$$I_1 = 100 \text{ A}$$

$$l = 10 \text{ m}$$

$$m = 400 \text{ g}$$

$$a = 1 \text{ cm}$$

التي هي

$$m, g = 2 F \cos \theta$$

$$= \frac{2 I_1 I_2 \mu_0 l \cos 30}{2 \pi a}$$

$$I_2 = 113 \text{ A}$$

Find \$I\_2\$ that is just  
enough to carry \$I\_1\$

$$F = \frac{\mu_0 I_1 I_2}{2 \pi a}$$

\* Ampere's Law



$$B = \frac{\mu_0 I}{2 \pi a}$$

$$\oint \vec{B} \cdot d\vec{s}$$

التي هي

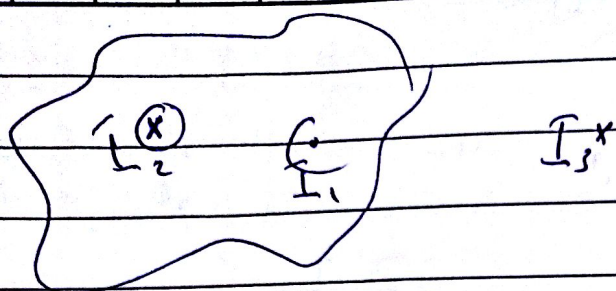
$$= \mu_0 I$$

التي هي  
الداخلية  
في الدائرة

$$\oint B ds$$

$$B \oint ds = B 2 \pi a = \frac{\mu_0 I \cdot 2 \pi a}{2 \pi a}$$

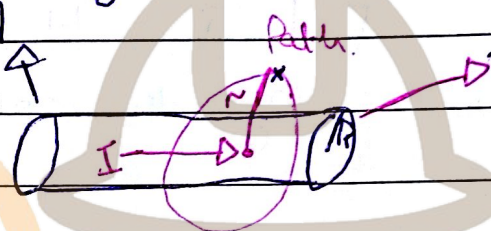




30.5 I uniformly distributed

at A

Find B inside  
and out side



A cross  
section

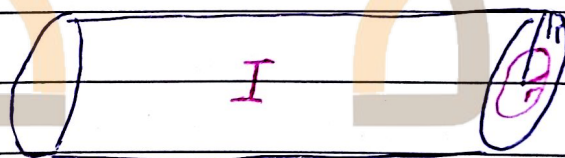
الزاوية بين ds و B

$$r > R$$

$$\oint B \cdot ds = \mu_0 I_{in}$$

$$B 2\pi r = \mu_0 I$$

b) Inside  
 $r < R$



$$I_{in} = \frac{I}{A} \pi r^2$$

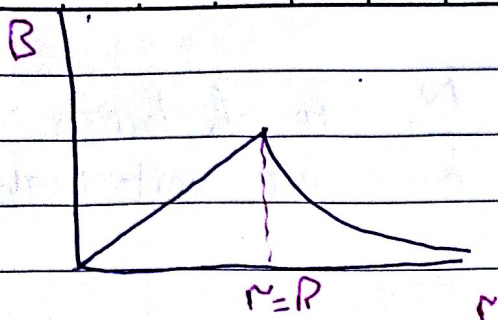
$$I_{in} = \frac{I}{\pi R^2} \pi r^2$$

$$\oint B \cdot ds = \mu_0 I_{in}$$

$$B = \frac{\mu_0 I r}{2\pi R^2}$$

$$B 2\pi r = \mu_0 \frac{I \pi r^2}{\pi R^2}$$





### 30.6 Toroid



turns  
closely  
spaced

B inside uniform  
B outside  $\approx$  zero

size inside

$$\oint B \cdot ds = \mu_0 I_{enc}$$

$$B \cdot 2\pi r = \mu_0 I n \rightarrow \# \text{ of turns.}$$

$$B = \frac{\mu_0 I n}{2\pi r}$$

### 30.4

Solenoid



B outside  $\approx$  zero

$$\oint B \cdot ds = \mu_0 I_{enc}$$



$$Bh = \mu_0 NI$$

$$B = \frac{\mu_0 NI}{h}$$

$$n = \frac{N}{h} \quad \begin{array}{l} \text{\# of turns} \\ \text{per unit length} \end{array}$$

$$B = \mu_0 n I$$



30.5 Gauss's law  
in magnetism

$$\oint_R \vec{B} \cdot d\vec{q} = \mu_0 \text{Flux}$$

if  $B$  is uniform and  $A$  is flat

$$\Phi = BA \cos \theta$$

ROSLIN JJ

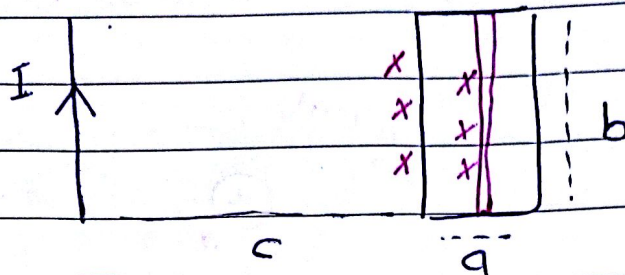
unit Weber



civilian team



30.7



Find  $\Phi_B$  Flux through the area

$B$  غير متساوية على المساحة  
لذلك نستخدم التكامل

$$\Phi = \int B \cdot da = \int B da$$

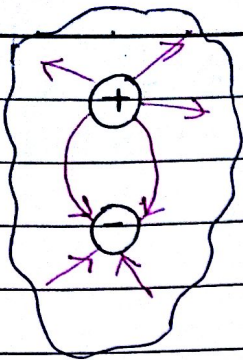
$$B = \frac{\mu \cdot I}{2\pi x}$$

$$da = b dx$$

$$\Phi = \int \frac{\mu \cdot I}{2\pi x} b dx$$

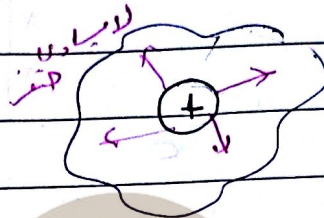
$$\Phi = \frac{\mu \cdot I b}{2\pi} \ln \left| \frac{a+c}{c} \right|$$



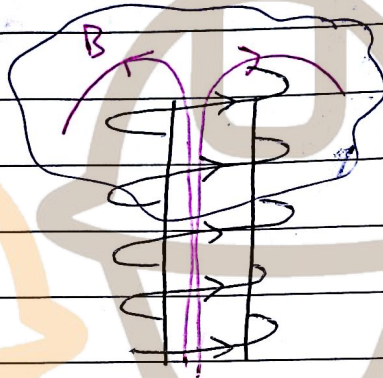
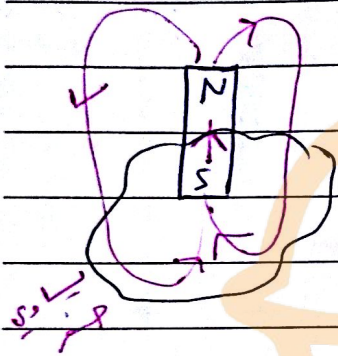


Dipole

التي هي خطوط المجال في Dipole مغناطيسي



monopole

تساوي  
في

$$\oint \vec{B} \cdot d\vec{a} = 0$$

⇒ There is No magnetic monopole for now.

في السطح المغلق إذا كان في Dipole مغناطيسي، السطح المغلق  
يساوي صفر لأن خطوط المجال لا تدخل ولا تخرج من السطح واحدة  
فقط. Monopole لا يساوي صفر لأن خطوط المجال تدخل أو تخرج فقط  
يساوي السطح المغلق يساوي صفر سواء كان السطح المغلق في وسط القطب  
أو على حافته.