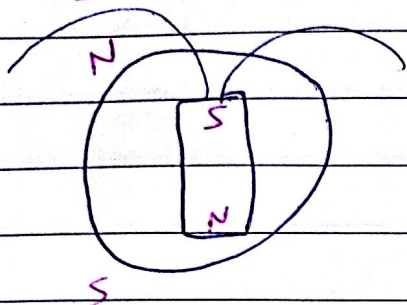


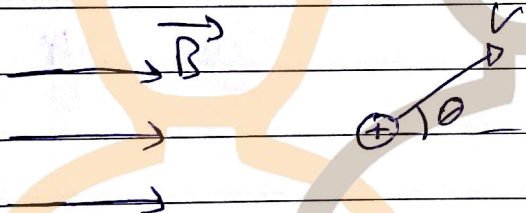
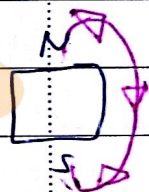
CH 29 Magnetic field



Tesla

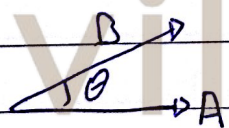
* Any moving charge can produce a magnetic field

* Any magnet has two poles North and South



$$\vec{F}_B = q \vec{v} \times \vec{B}$$

إذا كانت الشحنة سالبة فإشارة الجهد
التي تتولد تكون عكس الإشارة



$$A \times B = AB \sin \theta$$

التي تتولد تكون عكس الإشارة

$$\frac{Ns}{cm} = \text{Tesla (T)}$$

Work done by F_B

$$W = \int \vec{F} \cdot d\vec{s}$$

$$dW = F \cdot ds$$

$$dW = q(\vec{v} \times \vec{B}) \cdot d\vec{s}$$

$$= q \left(\frac{d\vec{s}}{dt} \times \vec{B} \right) \cdot d\vec{s}$$

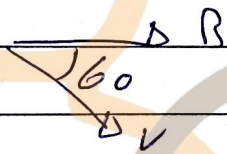
$$F_B \perp d\vec{s}$$

الزاوية بين $\vec{v}$ و $\vec{B}$
تكون 90°
فكل $d\vec{s}$

السرعة دائماً متعامدة
مع المجال المغناطيسي
فقط تغير الاتجاه

So $\Delta K = 0$

E_x



$$B = 0.025 \text{ T}$$

$$v = 8 \times 10^6 \text{ m/s}$$

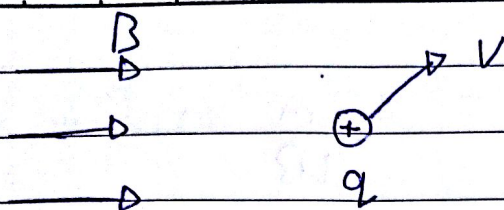
Find the magnetic force on electron

$$F = qvB \sin \theta$$

$$= 1.6 \times 10^{-19} \times 8 \times 10^6 \times 0.025 \times \sin 60^\circ \text{ N}$$

in 10^{-14}

the page



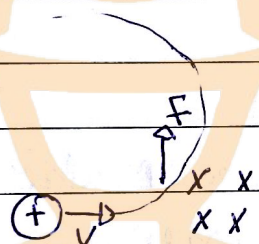
$$\vec{F}_B = q \vec{v} \times \vec{B}$$

$$F_B = qvB \sin \theta$$

29.2 uniform Field

$\times \times \times$ into the page

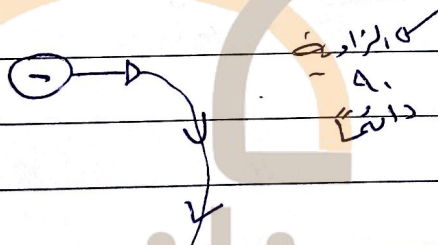
$\odot \odot \odot$ out of the page



القوة باتجاه المركز

$$\sum \vec{F} = m\vec{a}$$

$$qvB = m \frac{v^2}{r}$$



القوة باتجاه المركز

$$r = \frac{mv^2}{qvB} = \frac{mv}{qB}$$

Angular Speed

$$\omega = \frac{v}{r}$$

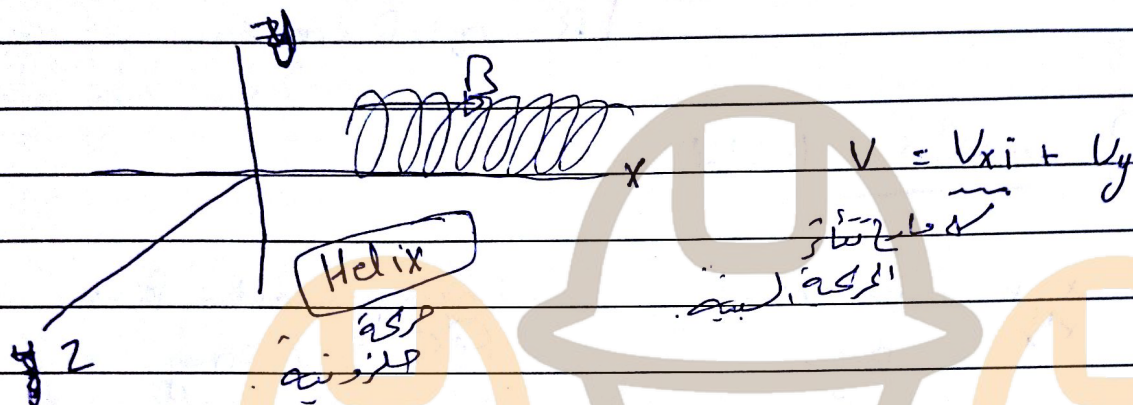
$$\omega = \frac{qvB}{m}$$

$$\omega = \frac{qB}{m}$$

cyclotron Frequency

Period

$$T = \frac{2\pi r}{v} = \frac{2\pi}{\omega} = \frac{2\pi m}{qB}$$



Ex 29.2 A proton is moving in a circular orbit of radius 14 cm in a uniform magnetic field $B = 0.35 \text{ T}$. Find the speed of proton.
السرعة في دائرة

$$q v B = \frac{m v^2}{r}$$

$$m_p = 1.67 \times 10^{-27} \text{ kg}$$

$$v = 4.7 \times 10^6 \text{ m/s}$$

$$q \Delta V = \frac{1}{2} m v^2$$

29.3

An electron is accelerated in a 350V potential it then enters uniform field perpendicular to its velocity if the radius of electron path 7.5 cm find B.

$$\Delta K = 1 - 0 = 1$$

$$q \Delta V = \frac{1}{2} m v^2$$

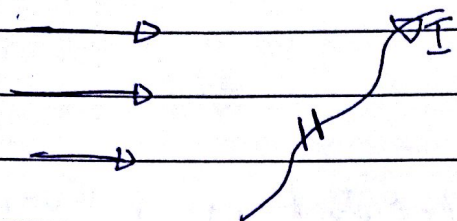
$$v = 1.1 \times 10^7 \text{ m/s}$$

$$q v B = \frac{m v^2}{r}$$

$$B = 8.4 \times 10^{-4} \text{ T}$$

$$\omega = \frac{v}{r} = 1.5 \times 10^8 \text{ rad/s}$$

29.4 Magnetic Force on a wire with current



$$\vec{F}_B = q \vec{v} \times \vec{B}$$

$$d\vec{F}_B = dq \cdot \vec{v} \times \vec{B}$$

$$\Rightarrow d\vec{F}_B = I d\vec{s} \times \vec{B}$$

$$I = \frac{dq}{dt}$$

$$dq = I dt$$

$$v = \frac{ds}{dt}$$

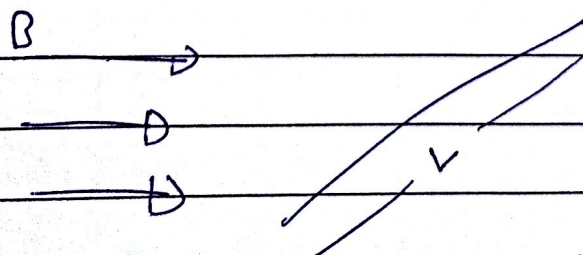
$$\vec{F}_B = \int I d\vec{s} \times \vec{B}$$

$$= I \int (d\vec{s} \times \vec{B})$$

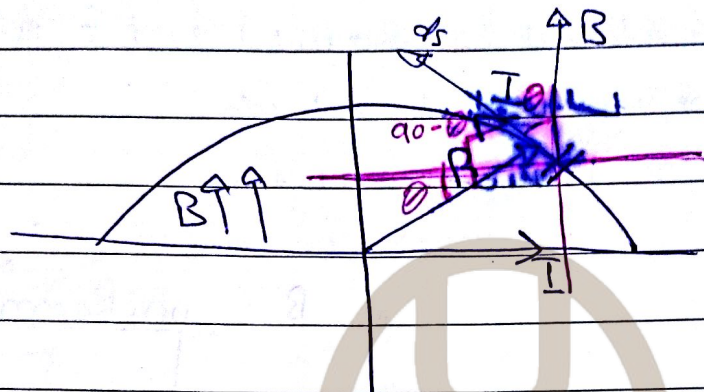
if the wire is straight and the B is uniform

if the wire is straight and the B is uniform

$$\vec{F} = I \cdot \vec{L} \times \vec{B}$$



29.4 Find the magnetic force on a semicircular loop as shown B is uniform



$$F_{\text{straight}} = I L B \quad (\hat{n})$$

$$= 2IRB \hat{n}$$

$$F = I \int_0^\pi \vec{ds} \times \vec{B}$$

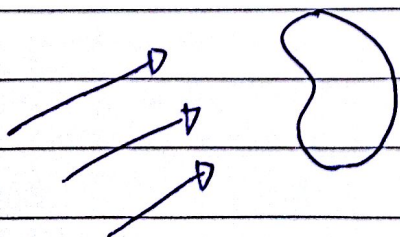
$$= I \int_0^\pi R d\theta B \sin \theta$$

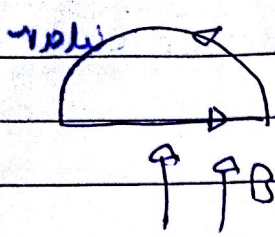
$$ds = R d\theta$$

$$= -IRB \cos \theta \Big|_0^\pi = +2IRB (-\hat{n})$$

$$F_{\text{net}} = \text{Zero}$$

In a uniform field the net force on any closed loop is zero

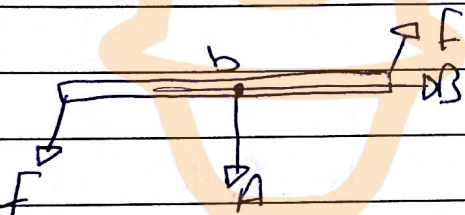




نفس القوة على السليم
الحل وبها انه القوة المحطة
لما على طرفه فنقول انه القوة
على السليم الى القوة التي نفس
المقدار على السليم

29.5 Torque

$$\tau_{net} = I_a B - I_a B = 0$$



$$\tau = r \times F = r f \sin \theta$$

$$\tau = \frac{b}{2} \times I_a B + \frac{b}{2} I_a B$$

$$= b I_a B$$

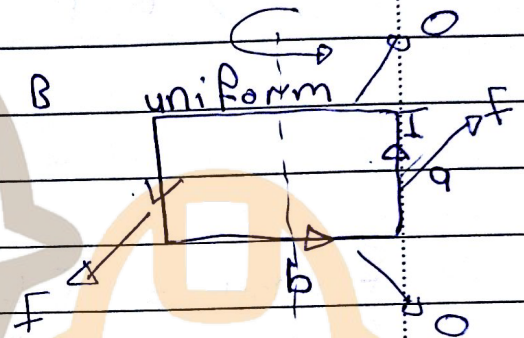
$$= A I B$$

$$= A I B \sin \theta$$

المساحة
ab



$$\tau = 0$$



المساحة
التي
تحتوي
القوة

مساحة
A و B

$$\tau = I \vec{A} \times \vec{B}$$

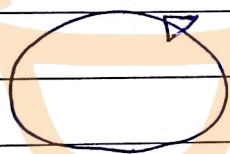
$$\vec{M} \equiv I \vec{A}$$

magnetic dipole moment

$$M = N I A$$

N = # of turn

$$\tau = \vec{M} \times \vec{B}$$



$$I \pi r^2$$

$$M \sin \theta \quad A \sin \theta$$

$$\tau = M B \sin \theta$$

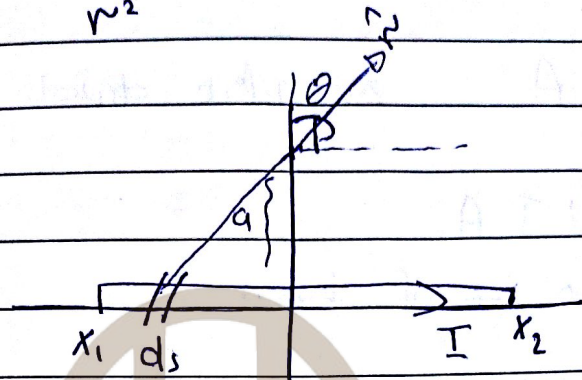
Potential energy.

civilian team

$$B = \frac{\mu_0 I}{4\pi} \int_{\text{wire}} \frac{ds \times \hat{r}}{r^2}$$

Ex 30.1

Find B at P



$$d\vec{s} = dx \hat{i}$$

$$r = \sqrt{x^2 + a^2}$$

$$\hat{r} = \cos\theta \hat{j} + \sin\theta \hat{i}$$

$$d\vec{s} \times \hat{r} = \cos\theta dx \hat{k} \quad \text{فقط } \hat{k}$$

$$B = \frac{\mu_0 I}{4\pi} \int_{x_1}^{x_2} \frac{\cos\theta dx \hat{k}}{x^2 + a^2}$$

$$\cos\theta = \frac{a}{\sqrt{x^2 + a^2}}$$

$$= \frac{\mu_0 I}{4\pi} \int_{x_1}^{x_2} \frac{a dx}{\sqrt{x^2 + a^2} * (x^2 + a^2)}$$

$$= \frac{\mu_0 I}{4\pi} \int_{x_1}^{x_2} \frac{a dx}{(x^2 + a^2)^{3/2}}$$

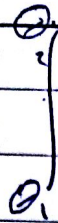
$$\tan\theta = \frac{x}{a} \quad \rightarrow \quad x = a \tan\theta$$

$$dx = \frac{a}{\cos^2\theta} d\theta$$

$$1 + \tan^2\theta = \frac{1}{\cos^2\theta}$$

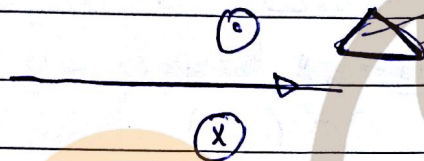
$$B = \frac{\mu_0 I}{4\pi a}$$

$$\cos \theta \, d\theta$$



$$B = \frac{\mu_0 I}{4\pi a} [\sin \theta_2 - \sin \theta_1] \hat{r}$$

مقدار المجال



مقدار المجال

For long straight wire.

$$\theta_2 \rightarrow \frac{\pi}{2}$$

$$\theta_1 \rightarrow -\frac{\pi}{2}$$

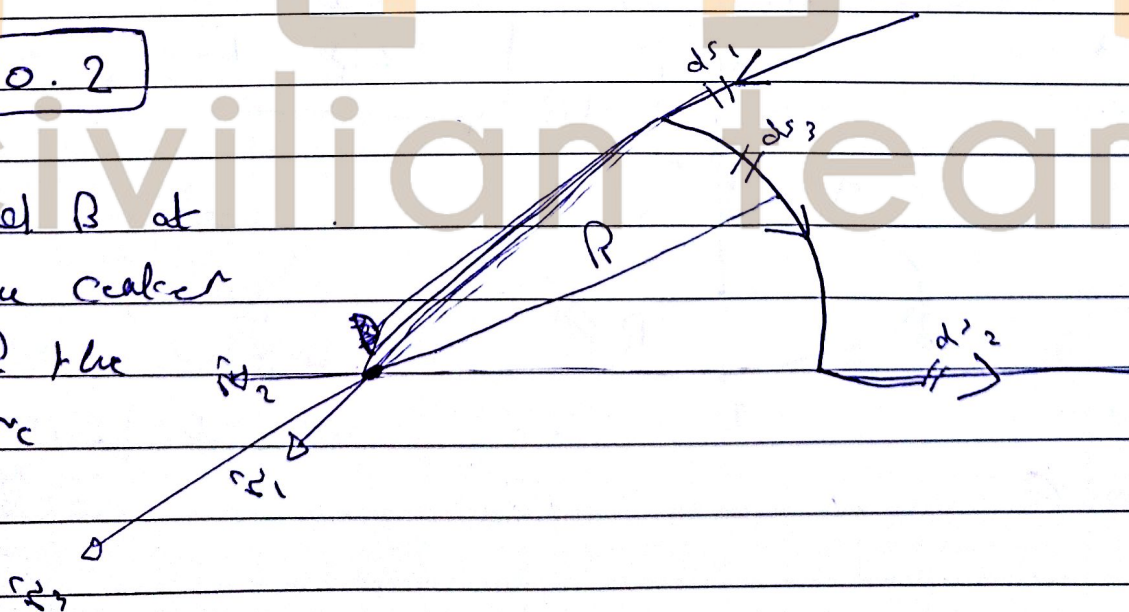
$$\tan \theta = \frac{x}{a}$$

مقدار المجال

$$\frac{\mu_0 I}{2\pi a}$$

30.2

Find B at the center of the arc



$$B = \frac{\mu_0 I}{4\pi} \int \frac{ds \times \hat{r}}{r^2}$$

ds كاتجاه ال I
اعتداد ال $\hat{r}$ لثابت في كل
ال X بينهم ياد ال
دفع ال $\hat{r}$ كات

straight

arc

الزاوية بين ds و $\hat{r}$ ثابتة
دفع ال $\hat{r}$ في كل ds

$$= \frac{\mu_0 I}{4\pi} \int \frac{ds (-\hat{r})}{R^2}$$

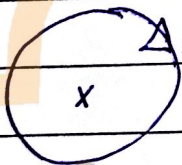
$$= \left[\frac{\mu_0 I}{4\pi R^2} R\theta (-\hat{r}) \right]$$

θ radian

$$B = \frac{\mu_0 I \theta}{4\pi R}$$

الزاوية كاتجاه I

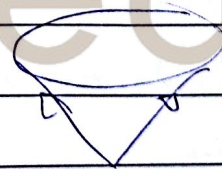
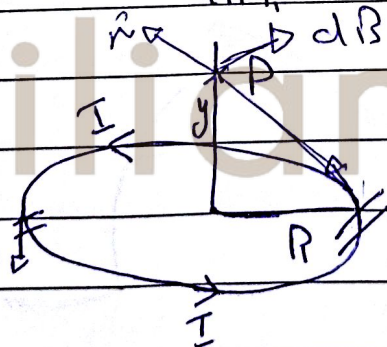
الاسم B



$$= \frac{\mu_0 I 2\pi}{4\pi R}$$

$$= \frac{\mu_0 I}{2R}$$

30.3

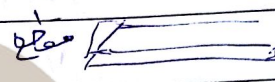


الارتفاع ال $\hat{r}$ بين

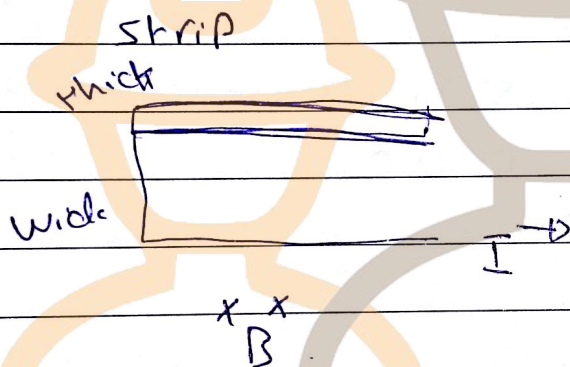
$$dB_y = dB \cos \theta$$

$$\Delta V_H = \frac{IB}{nqL} = \frac{R_H IB}{L}$$

$$R_H = \frac{1}{nq} \rightarrow \text{with sign}$$

 wide thick

29.7 A rectangular copper strip 1.5 cm x 0.1 cm
wide & thick carries $I = 5A$ find the voltage if
 $B = 1.2 T$ applied perpendicular to the



assume one free e
per atom

كثافة الإلكترونات
عدد الإلكترونات
في وحدة الحجم

$$n = \frac{\rho}{M} N_A \times 1$$

$$\Delta V_H = \frac{IB}{nqL}$$

مع
التيار

$$\Delta V_H = 0.44 \mu V$$

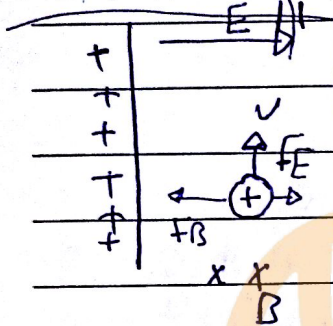
$$L = 0.1 \times 10^{-2} m$$

$$\underline{B} =$$

$$F = q\vec{E} + q\vec{v} \times \vec{B}$$

Lorentz Force

B. Velocity selector



$$q\vec{v} \times \vec{B} = q\vec{E}$$

radius, radius

radius

$$v = \frac{E}{B}$$

radius is 1.

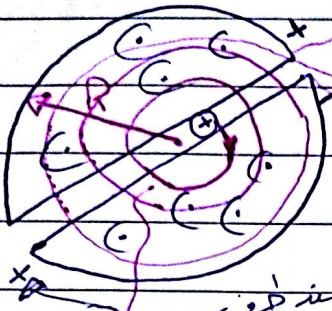
Mass spectrometer : separates ions according to mass to - charge ratio

$$q\vec{v} \times \vec{B}_0 = \frac{m\vec{v}^2}{r}$$

$$\frac{m}{q} = \frac{B_0 r}{v}$$

$$= \frac{B_0 r}{\frac{E}{B_0}} = \frac{B_0^2 r}{E}$$

cyclotron :: device used to accelerate charged particles to very high speeds



dees
R radius



مسار

كل ما يوصل عند خروج
فيه انه فعلى الأقطاب
فيمتص طاقة حركية
 $K = q \Delta U$
عند هذه اللحظة
فيمتص الأقطاب
وحسبنا
وكلما تزداد السرعة
تزداد نصف القطر
لذلك البروتون عند
ال dees

$$qBR = \frac{mv}{r}$$

$$v = \frac{qBr}{m}$$

Approach

$$T = \frac{2\pi r}{v}$$

$$\frac{2\pi m}{qB}$$

$t=0^+$	$t = \frac{T}{2}$	t
+	-	+
-	+	-

$$F = \frac{1}{T}$$

Aya ~~Doa'a~~

♡ 01:01

Subject

Date

No.

$$K = \frac{1}{2} m v^2$$

$$V_{max} = \frac{q B R}{m} \rightarrow \text{Biot-Savart}$$

$$K = \frac{q^2 B^2 R^2}{2m} < 20 \text{ MeV}$$

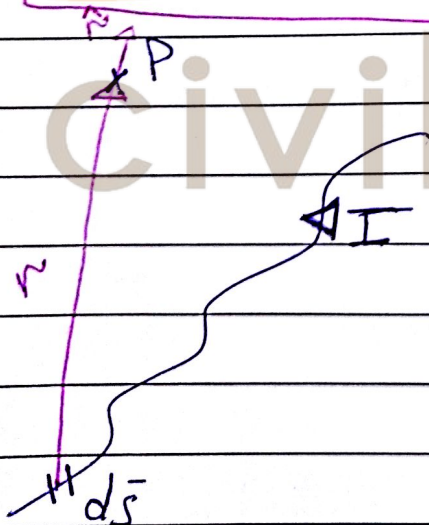
CH 30 sources of the magnetic field

Biot - Savart law

$$d\vec{B} = \frac{\mu_0}{4\pi} \frac{I d\vec{s} \times \hat{r}}{r^2}$$

$$\vec{B} = \frac{\mu_0 I}{4\pi} \int \frac{d\vec{s} \times \hat{r}}{r^2}$$

$$\mu_0 = 4\pi \times 10^{-7} \frac{T \cdot m}{A}$$



Permeability of free space

μ_0

المجال المغناطيسي الناتج عن تيار

في سلك مستقيم

في مسلك مستقيم، المجال المغناطيسي